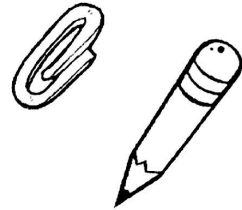


For each of the problems, define the variables you would use and set up a system using those variables to solve the problem.

- 1.) Avery and Mead went to an office supplies store to buy paper clips and pencils. Avery bought 15 boxes of paper clips and 7 packages of pencils, while Mead bought 12 boxes of paper clips and 10 packages of pencils. If Avery spent \$55.40 and Mead spent \$61.70, how much does a box of paper clips and a package of pencils cost?

Define variables: X: paper clips
y: pencils



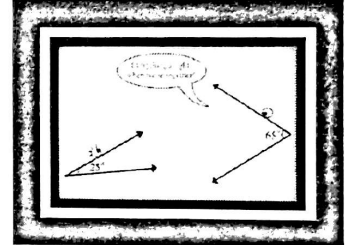
System:

$$\begin{cases} 15x + 7y = 55.40 \\ 12x + 10y = 61.70 \end{cases} \rightarrow \begin{bmatrix} 15 & 7 \\ 12 & 10 \end{bmatrix}^{-1} \begin{bmatrix} 55.40 \\ 61.70 \end{bmatrix} = \begin{bmatrix} 1.85 \\ 3.95 \end{bmatrix}$$

$X = \$1.85, y = \3.95

- 2.) Two angles are complementary. One angle is 81° less than twice the other angle. Find the measure of each angle.

Define variables: X: 1st angle
y: 2nd angle



System:

$$\begin{cases} x + y = 90^\circ \\ x = 2y - 81^\circ \end{cases} \rightarrow x - 2y = -81^\circ \rightarrow \begin{bmatrix} 1 & 1 \\ 1 & -2 \end{bmatrix}^{-1} \begin{bmatrix} 90 \\ -81 \end{bmatrix} = \begin{bmatrix} 33 \\ 57 \end{bmatrix}$$

$x = 33^\circ, y = 57^\circ$

- 3.) Margie needs to buy a week's supply of medication for 24 dogs and 164 cats at a local shelter. The medication for each dog costs twice as much as the medication for a cat. If her budget is \$4,240, how much can Margie spend on medication for each dog?

Define variables: d = dogs
c = cats



System:

$$\begin{cases} 24d + 164c = 4240 \\ d = 2c \end{cases} \rightarrow d - 2c = 0$$

$$\begin{bmatrix} 24 & 164 \\ 1 & -2 \end{bmatrix}^{-1} \begin{bmatrix} 4240 \\ 0 \end{bmatrix} = \begin{bmatrix} 40 \\ 20 \end{bmatrix}$$

$d = \$40$
 $c = \$20$

- 4.) Farmer Bob houses a total of 13 pigs and chickens. A total of 40 feet can be counted among these pigs and chickens. How many of the animals are pigs, and how many are chickens?

Define variables: P : pigs
 C : chickens

System:
$$\begin{aligned} P + C &= 13 \\ 4P + 2C &= 40 \end{aligned} \rightarrow \begin{bmatrix} 1 & 1 \\ 4 & 2 \end{bmatrix}^{-1} \begin{bmatrix} 13 \\ 40 \end{bmatrix} = \begin{bmatrix} 7 \\ 6 \end{bmatrix}$$



7 pigs, 6 chickens

- 5.) Seventy-eight tickets were sold for a private Taylor Swift concert. If \$483 was collected and seats cost either \$2.50 or \$10.50, how many of each were sold?

Define variables: C : cheap seats
 E : expensive seats

System:
$$\begin{aligned} C + E &= 78 \\ 2.50C + 10.50E &= 483 \end{aligned}$$



42 cheap seats, 36 expensive seats

- 6.) During a trip to the gas station you fill your vehicle with 15 gallons of premium gasoline and a 5 gallon gas can with regular gasoline. The price of premium gasoline is 25 cents greater than the price of regular gasoline. If you pay a total of \$76.75, what is the price per gallon of regular and premium gasoline?

Define variables: P : premium price
 R : regular price

System:
$$\begin{aligned} 15P + 5R &= 76.75 \\ P &= R + 0.25 \rightarrow P - R = 0.25 \end{aligned}$$

P : \$3.90, R : \$3.65

